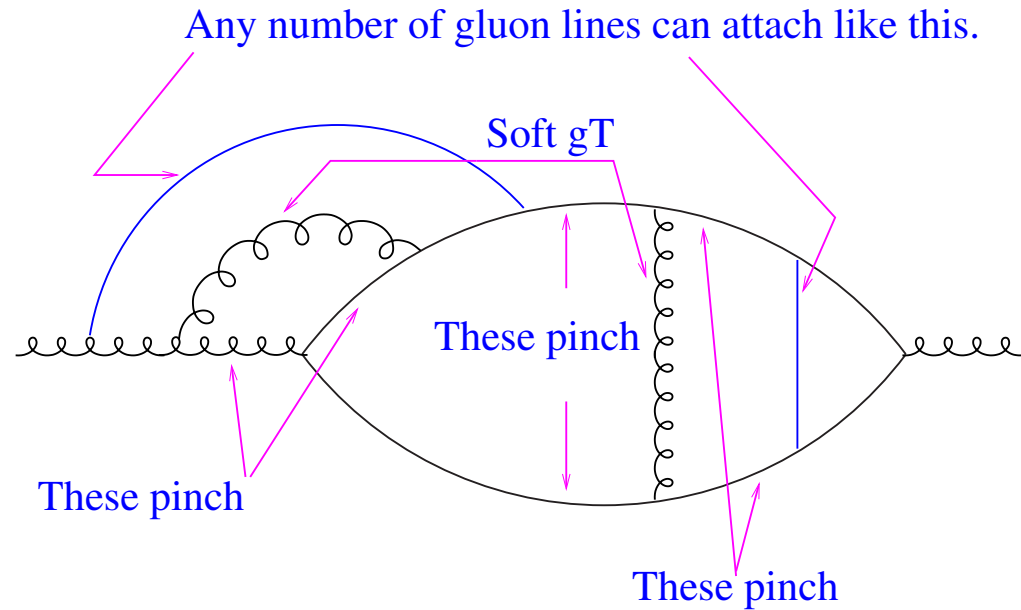
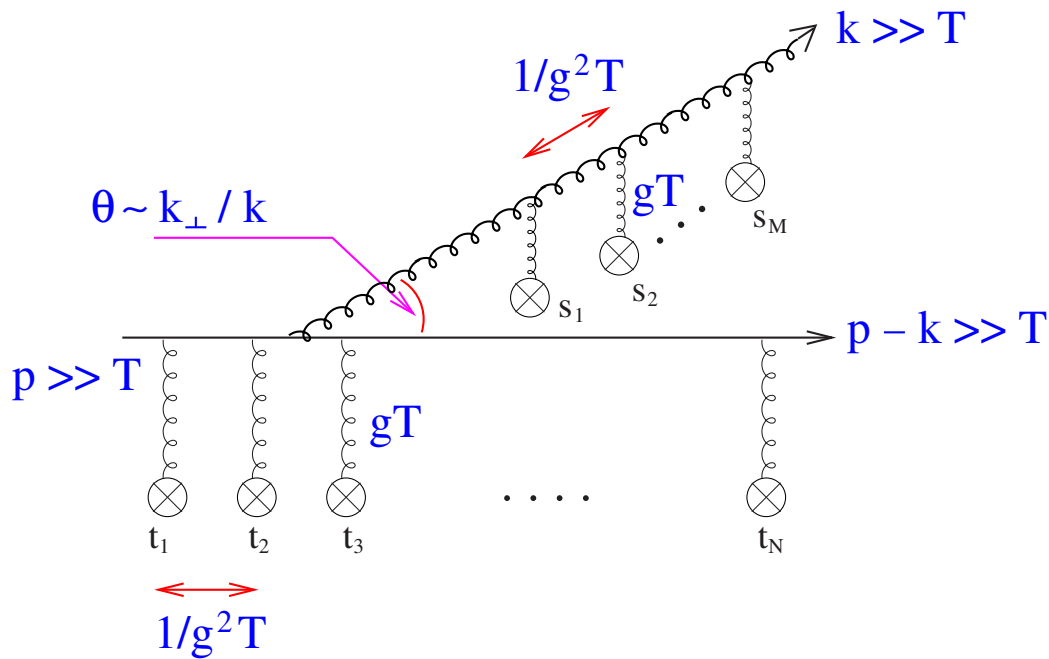


# Physical Process



Adding one more rung =  $O(1)$ .  
Need to resum.

$$R(k_{\text{soft}}) \sim 1/\lambda \sim g^2 T, \quad \tau_{\text{coh}} \sim \frac{1}{g^2 T} \sqrt{k/T}, \quad N_{\text{coll}} \sim \sqrt{k/T}$$

$$\langle k_{\perp}^2 \rangle \sim (gT)^2 \sqrt{k/T} \text{ during } \tau_{\text{coh}},$$

$$E_{\text{LPM}} = m_D^2 \lambda \sim T, \quad E_{\text{fact}} = E_{\text{LPM}} (L/\lambda)^2$$

# What are we doing?

## – “Better” BDMPS

- Full leading order  $\alpha_s$  momentum space calculation of the emission + absorption rate in fully dynamic thermal medium. Includes
  - Bremsstrahlung
  - Pair annihilation
  - Absorption from the medium
  - Thermal dispersion corrections
  - Correct and smooth transition from Bethe-Heitler to LPM
- Solve Fokker-Planck equation for the *distribution* instead of Poisson ansatz. Includes nuclear geometry and can accommodate expansion scenarios.

# Validity

- Caveat: Weak coupling limit.  $g \ll 1$ .
- $\tau_{\text{coh}} \ll L$
- $\tau_{\text{coh}} \ll (d \ln T(x)/dx)^{-1}$
- One must distinguish what's important for  $\Delta E$  and  $R_{AA}$  (BDMPS, JM).
  - $R_{AA}$  dominated by many soft emissions.
    - Fully treated in AMY.
  - $\Delta E$  dominated by rare hard emissions.
    - $k > E_{\text{fact}}$  is not fully treated in AMY. But not important for  $R_{AA}$ .
- Rough estimates (Bounds for the emitted energy):  
 $E_{\text{LPM}} \sim T \sim 300 \text{ MeV}$ ,  
 $E_{\text{fact}} \approx (0.3 \text{ GeV}) \times (L/\lambda)^2 \approx 7.5 - 30 \text{ GeV}$  for  $L/\lambda = 5 - 10$

# Results

– Goes back to BDMPS for high  $E$  and large  $L$ : ( $E_{\text{LPM}} = \lambda m_D^2$ )

$$\Delta E \approx \frac{\alpha_s N_c m_D^2}{\pi \lambda} L^2 \quad \text{for } L < \lambda \sqrt{E/E_{\text{LPM}}}$$

$$\Delta E \approx \frac{\alpha_s N_c}{\pi \lambda} \sqrt{E_{\text{LPM}} E} L \quad \text{for } L > \lambda \sqrt{E/E_{\text{LPM}}}$$

$$\hat{q} = \frac{dp_{\perp}^2}{dx} = g^2 C_f T \int \frac{d^2 q_{\perp}}{(2\pi)^2} \frac{q_{\perp}^2 m_D^2}{q_{\perp}^2 (q_{\perp}^2 + m_D^2)} = \frac{g^2 C_f m_D^2 T}{2\pi} \left( \ln \frac{T}{m_D} + K \right)$$

Primary parameters

- $T_i = 370 \text{ MeV}$
- $\tau_i = 0.26 \text{ fm}/c$
- $\alpha_s = 0.34$

Correspond to

(with  $\ln(T/m_D) + K \sim 1.5$ )

- $\hat{q} \approx 2 \text{ GeV}^2/\text{fm}$